MICROMETALLIC PARTICLES

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INTRODUCTION

STUDY of ultrafine metal particles having diameters in the range 10 -200 Å dispersed in various media have attracted considerable attention in recent years because of their technological importance 1-4. These materials also provide theoretically interesting systems to understand the physics of micro metal particles 5-7.

Cermets which are composite materials of metals and insulators with the metal phase having submicroscopic dimensions are used as electrical resistors because of the wide range of resistivity values that can be obtained in them and their low temperature coefficients of resistivity². Small metal clusters dispersed on the surface of a suitable refractory oxide comprise an important group of catalysts which are extensively used in the chemical industry⁴. Electrolytically coloured anodic alumina coatings with a fine dispersion of cobalt metal are widely used in the building materials industry⁸. Cobalt alumina cermets are produced on an industrial scale for use in solar photothermal collectors because of their selective absorption of solar energy⁹.

Dispersion of micro metallic granules in oxide glass media is exploited to make photo-sensitive glasses 10, glass-ceramics 10 photochromic glasses 11 polychromatic glasses 12 and solar control coatings 3. In this paper we survey the various preparational methods developed so far for making ultrafine metallic particles, the important physical properties of these systems and the theoretical models used to explain the same.

METHODS FOR PRODUCING ULTRAFINE METAL PARTICLES

Evaporation technique:

In this method¹³ a discontinuous film of the

metal concerned is deposited on a suitable substrate (e.g. glass) under ultra high vacuum conditions (< 10⁻⁹ torr) by evaporation from a resistively heated14 or electron beam heated source¹⁵. The thickness of the films is in the range 10 200 Å. The metallic island size varies between 10 A and 100 Å. The formation of these islands takes place by nucleation at many sites on the substrate followed by growth brought about by absorption of single atoms either impinging on the nucleus or migrating by surface diffusion on the substrate 16. Island structure of metals such as copper¹⁷, silver¹⁸, and gold¹⁹ have been investigated extensively. A variation of the above method is the discontinuous multilayer technique in which there are several layers deposited every second layer being a metal film in its island stage of growth^{17,20}. The remaining layers consist of insulating continuous films.

Recently an inert-gas evaporation technique has been developed for making ultrafine metal particles in reasonable quantities by heating a large quantity of the metal in a temperaturestabilized oven²¹. The nucleation and growth in this method take place in a noble-gas atmosphere e.g., argon. The metal vapour is cooled rapidly because of the collision of metal atoms with those of the gas. The critical size of the metal nuclei depends on the cooling of the metal atoms relative to the source temperature. As a result, critical diameters can be as low as a few angstroms if the metal particles are cooled by a few hundred degrees. These nuclei then grow in a layer above the surface of the hot metal. Ultrafine metal particles of Al, Mg, Zn, Sn, Cr, Fe, Co, Ni, Cu and Ga have been prepared by this technique and their structural features investigated by electron microscope²¹. Distribution of metallic particle sizes has been analysed which obeys the log-normal distribution function (LNDF) i.e. the fractional number of particles n per logarithmic diameter interval is given by,

$$\Delta n = \frac{1}{(2\pi)^{1/2} \ln \sigma} \exp \left[-\frac{1}{2} \right]$$

$$\times \left[\frac{\ln \left(\frac{x}{x} \right)}{\ln \sigma} \right]^{2} \Delta (\ln x) \tag{1}$$

where x is the statistical median diameter and is the geometric deviation. This distribution is shown to arise due to the growth of particles by a liquid-like coalescence²¹. Such a growth model is found to account for the size distribution of particles produced by other methods such as colloids, discontinuous films and supported catalysts.

Closely related to inert-gas evaporation is the method of preparing fine metallic particles by exploding wires with current pulses in a noblegas atmosphere. Examples are silver²² and copper²³. Particles have also been produced by homogeneous nucleation of metal vapour expanding with an inert carrier gas through a supersonic nozzle e.g., zinc²⁴.

Cermets are prepared by rf sputtering from composite metal insulator targets ~ 15 cm. in diameter. Typical frequency² used is 12.56 MHz and the Ti sputtering is performed in purified A gas at a pressure 10⁻³ torr²⁶. The substrates used are fused-quartz plates. Some of the cermet films prepared by this technique for detailed structural and electrical property investigation² are Ni-SiO₂, Pt-SiO₂ Au-Al₂O₃, W-Al₂O₃. Cermet films of Ni-Al₂O₃²⁶. Au-MgO³⁵, Cr-Cr₂O₃²⁷ have been made and their optical properties delineated.

Chemical Methods

In most of the chemical methods of preparation, the ultrafine metal particles are dispersed in an inert medium-either a liquid or a solid—the latter being mostly a glassy substance.

In the Svedberg electrochemical method²⁸ a high frequency electrical arc is struck between metal clips under either a polar or a nonpolar liquid²¹. The metal gets vaporized, condenses in the liquid and ultimately goes into suspension as

tiny colloidal particles. Colloids are also prepared by chemical vapour deposition techniques. The structure of gold sols made by the reduction of AuCl₃ with formaldehyde^{29,30} has been investigated²¹. A similar approach is adopted for preparing catalysts consisting of small metal clusters of platinum, osmium or iridium dispersed on the surface of alumina in a high surface area form³¹.

Metals such as copper, silver, gold, platinum and bismuth can be obtained in colloidal form, in oxide glasses, if the latter are suitably reduced during melting^{32,33}. The reducing agent used is either SnO or Sb₂O₃. In the case of bismuth no reducing agent is necessary.

Metallic micro-granules can also be precipitated in a surface layer (thickness of the order of a few micrometers) of an oxide glass by subjecting the latter to an ion-exchange and reduction treatment 10 stream and 10 stream an

Photochemical methods:

In photosensitive glasses metallic colloids of copper, silver and gold respectively can be precipitated by subjecting the glasses to ultra-violet radiation followed by a suitable heat treatment³². The photosensitivity can be improved by the inclusion of a small amount of sensitizer e.g., CeO₂, Sb₂O₃. The reaction involved in the case of production of copper atoms, for instance, can be represented by,

$$Ce^{3+} + Cu^{+} + h\nu \rightarrow Ce^{4+} + Cu$$
 (2)

In photochromic glasses which have a silicate network, a dispersion of crystals of silver chloride or a mixed halide (e.g., AgCl-AgBr) is developed by heat treatment ³⁴ around 560° C. These crystals get decomposed by incident light into silver and halogen atoms. The darkening effect

caused is due to the presence of minute silver particles. A small amount of copper serves as a sensitizer for the above process. The reaction can be represented by

Ag⁺ + Cu⁺
$$\rightleftharpoons$$
 Ag⁰ + Cu²⁺

$$h\nu_2$$
 (3)

A variant of the above method is the two stage u.v. exposures with heat-treatment schedules in between, as used for making polychromatic glasses³⁵. The first exposure followed by the heat treatment leads to the precipitation of colourable pyramidal NaF (Na, Ag)X crystals (X: halogen atoms). The second exposure gives rise to the formation of silver specks at the tips of the pyramidal crystals.

PROPERTIES

(i) Electrical

Electrical properties of ultrafine metallic granules are usually analysed by considering these particles to be dispersed in an insulating medium thereby forming a composite³⁸. The example taken for developing detailed theoretical model is that of granular metals or cermets². These materials³⁹ show a metal—non-metal transition of the percolative type at a critical volume fraction value of 0.4-0.5 i.e., there is a sharp rise in the electrical conductivity at this point. These values are higher than 0.15 which is expected for continuum percolation in three dimensions. Such a large percolation threshold has been ascribed to be due to the formation of oxide coatings on the metallic grains, though electron microscopic investigation does not confirm this. A more realistic explanation has been that the segregation of the metallic species into grains is incomplete so that some metal remains randomly dispersed in the oxide matrix³⁸.

For volume fraction below the percolation threshold, the structure of the composite consists of small, isolated metal particles dispersed in a dielectric continuum. Electrical conduction in this case takes place by the transport of electrons and holes by tunelling from one isolated metal grain to the next. The resistivity² for low electric fields is given by,

$$\rho = \rho_0 \exp \left[2 \left(C/kT \right)^{1/2} \right]. \tag{4}$$

In this equation P_0 can be assumed to be a constant to a first order approximation and

$$C = \chi_S E_c^0, \qquad (5)$$

where
$$X = \left[\frac{2m\phi}{h^2}\right]^{1/2}$$
, (6)

m being the electronic mass, ϕ the effective barrier height and \hbar the planck's constant; s is the separation between the grains, E_c^0 is the energy required to generate a pair of fully dissociated positively and negatively changed grains and is given by,

$$E^{0}_{c} = 2e^{2}/Kd, (7)$$

where
$$K = \varepsilon [1+(d/2s)]$$
, (8)

 \in is the dielectric constant of the insulating medium and d the grain size.

The above equations have been found to predict results which are in reasonable agreement with experimental data for cermet systems² Ni-SiO₂, Pt-SiO₂, Au-Al₂O₃ and oxide glass-bismuth³³,⁴⁰,⁴¹ and oxide glass-silver particulate systems⁴².

Electrical conduction in granular metals at high electric fields increases because of the additional mechanism of field-induced tunnelling. The expression² for electrical conductivity as a function of the electric field E is given by,

$$\sigma_{H} = \sigma_{\infty} \exp \left[-\frac{E_{0}}{\tilde{E}} \right] \int_{-E_{0}}^{\infty}$$

$$\frac{dz, z \exp(-z)}{1 - \exp\left(\frac{z}{z + E_0/E} \frac{EC_0}{E_0 kT}\right)}$$
(9)

with
$$\sigma_{\infty} = \frac{e^2 i r}{[(s_0 + d_0)^2 (2 \times s_0 + 1)^2 h]}$$
 (10)

$$C_0 = C \left(1 + \frac{1}{2X s_0}\right)$$
 (11)

$$E_0 = \frac{C_0}{e(s_0 + d_0)}, \qquad (12)$$

where s_o and d_o are the most probable values of s and d resepctively. Measurements of resistivity upto a field $\sim 10^6 \,\text{V/cm}$ at temperatures ranging from 300 K to 1.4 K in the case of Ni-SiO₂ and Pt-SiO₂ cermets confirm the validity of the above theoretical model.

Glass-metal particulate systems with bismuth as the metallic species exhibit memory switching^{43,44}. The threshold field is of the order of 10⁴ V/cm and the resistance change between the "off" and "on" states is about two to three orders of magnitude. A particle stretching model has been used to explain this behaviour^{45,46}.

In the case of superconducting metals (e.g., Al, Ga), there is a substantial enhancement in the transition temperature Te when the volume fraction is larger than the percolation threshold⁴⁷. This has been attributed to softening of the phonon modes⁴⁸, ⁴⁹.

(ii) Magnetic

Ni-SiO₂ cermets exhibit bulk ferromagnetism for metal volume fraction greater than 0.7^{50,51}. An interesting property observed in this system for a volume fraction of 0.48 is a peak in the transverse magnetoresistance around 200 K for an applied magnetic field of 2700e⁵². Such a behaviour is due to a shift in the conduction path with temperature(at low temperatures it is superparamagnetic and at higher temperatures it is ferromagnetic).

The magnetic moment of small indium particles with a diameter ~ 50 Å embedded in paraffin has been investigated at temperatures 1.5 K to 4.2 K in magnetic fields upto 50 KG⁵. The low saturation field observed for obtaining the saturation paramagnetic moment cannot be explained on the basis of electronic quantum size effects.

(iii) Optical

Extensive studies have been carried out on optical transmittance characteristics of cermet films like MgO-Au²⁵, Ni-Al₂O₃^{26,53} and ultra-

fine nickel particles for developing selective black absorbers with high solar absorptivity and low infrared emissivity with a view to increasing the efficiency of flat-plate solar collectors. The measurements are usually made in the wavelength range $0.3-30 \,\mu$ m. The general feature of the results is high absorption over the solar spectrum and low absorption in the thermal infrared range. In the case of ultrafine gold particles⁵⁴, a large transmittance minimum is found around 0.6μ m, whereas the samples show very little absorption at wavelengths above 1.5 \mu m. Copper microparticles precipitated within an oxide glass by ion-exchange and reduction treatment show two absorption bands at 0.43 \mu m and 0.57\mu respectively³⁷. Silver granules in oxide glasses precipitated by the same method show an absorption maximum at around 0.4μ m⁵⁵.

Optical properties of an assemblage of micrometallic granules can be described in terms of an effective medium which comprises, a spatial average over the dielectric permeabilities for the metal islands (\leq) and for their surrounding material (\leq _m). This is valid because the particles under consideation have dimensions which are orders of magnitude smaller than the wavelengths of optical radiation. The simplest effective medium theory used to analyse experimental results in different systems ⁵⁴ is that of Maxwell-Garnett ^{8,56,57}, according to which the effective dielectric permeability \in MG for spherical particles is given by,

$$\frac{\frac{-MG}{\varepsilon} - \varepsilon_m}{\frac{-MG}{\varepsilon} + 2\varepsilon_m} = f \frac{\varepsilon - \varepsilon_m}{\varepsilon + 2\varepsilon_m}$$
(13)

where f is the volume fraction of the metallic phase. The above equation has been generalized further to take into account the size distribution of the spherical particles and the consequent size dependence of the dielectric permeability of the metallic species⁵⁴ as follows,

$$\frac{1}{\varepsilon} = \varepsilon_{m} \frac{1 + \frac{2}{3} \sum_{j} f_{j} \alpha_{j}}{1 - \frac{1}{3} \sum_{j} f_{j} \alpha_{j}} \tag{14}$$

The subscript j denotes particles having a mean diameter x_j ; and the f_j 's are a set of fractional filling factors normalized by $\sum_{i}^{\infty} f_i = f_i \otimes_j i$ is proportional to the polarizability of particles in the jth class and for spheres is given by,

$$\alpha_{j} = \frac{\varepsilon_{j} - \varepsilon_{m}}{\varepsilon_{m} + \frac{1}{3} (\varepsilon_{j} - \varepsilon_{m})}. \tag{15}$$

The Maxwell-Garnett model is valid only for very small filling factors. A self-consistent effective medium theory which removes this restriction and which has been used extensively in recent years 54,58,59 is the one originally put forward by Bruggeman 60. The effective dielectric permeability in this model is given by,

$$\frac{1 - f + \frac{1}{3} \sum_{j} f \alpha_{j}}{\epsilon} = \epsilon_{m} \frac{1 - f - \frac{2}{3} \sum_{j} f_{j} \alpha_{j}}{1 - f - \frac{2}{3} \sum_{j} f_{j} \alpha_{j}} . \quad (16)$$

The above effective medium theories give qualitative agreement with experimental data. The computed results can be brought into fair agreement with the experiments by using suitable values of the plasma frequency for the particles and effective sample thicknesses. Further improvement can be effected by assuming that the samples consist of a mixture of close-packed clusters, infinite linear chains and independent single particles⁵⁴. Electron microscopic data do support existence of such geometrical configurations.

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ANNOUNCEMENTS

ENVIRONMENT AND POLLUTION BIOLOGY

The Department of Zoology, University of Poona, Poona, will hold an All India three week Institute from November 29th to December 19th, 1982 sponsored by the UGC on "Environment and Pollution Biology". All those interested in joining as Faculty members or participants are requested to contact Professor G. T. Tonapi, Head, Department of Zoology, University of Poona, Poona 411 007, with brief personal profiles.

NATIONAL WORKSHOP ON MOLECULAR BIOLOGY FOR CROP IMPROVEMENT

A five-day National Workshop on Molecular Biology for Crop improvement organized by Food and Agriculture Committee, Department of Atomic Energy will be held at the Bhabha Atomic Research Centre, Bombay from December 20-24, 1982. The programme of lectures would cover recent developments in molecular biology relevant to the improvement of crop plants. The last date for receiving applications for participation is September 30. Copy of the Announcement containing the details can be obtained by writing to Dr. C. R. Bhatia, Biology and Agriculture Division, Bhabha Atomic Research Centre, Bombay 400 085.